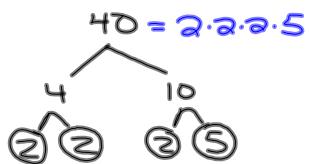


⁹⁻³⁻¹³
^{3/4 Trig}
 Simplifying radicals

$\sqrt{}$
 $\sqrt{25} = 5$
 $\sqrt{20} \rightarrow \text{irrational } \#$
 ↓
 # that goes on forever and doesn't repeat (can't be written as a fraction)

Prime factorization

Factor Tree



$$\sqrt{40} = \sqrt{2 \cdot 2 \cdot 2 \cdot 5}$$

$$2\sqrt{10}$$

$$\sqrt{504} = \sqrt{2 \cdot 2 \cdot 2 \cdot 3 \cdot 3 \cdot 7}$$

$$2 \cdot 3 \sqrt{2 \cdot 7}$$

$$6\sqrt{14}$$

$$\sqrt{300}$$

Factor Tree $\sqrt{300} = \sqrt{2 \cdot 2 \cdot 3 \cdot 5 \cdot 5}$

$$\begin{array}{c}
 300 \\
 \swarrow \quad \searrow \\
 60 \quad 5 \\
 \swarrow \quad \searrow \\
 6 \quad 10 \\
 \swarrow \quad \searrow \\
 2 \quad 3 \quad 2 \quad 5
 \end{array}$$

$$25\sqrt{3}$$

$$10\sqrt{3}$$

Simplify $\sqrt{a^3 b^4}$

$$\begin{array}{c}
 \sqrt{a^2 a b b b b} \\
 ab b \sqrt{a} \\
 a b^2 \sqrt{a}
 \end{array}$$

$$\textcircled{2} \text{ Simplify } \sqrt{8a^3}$$

$$2a \sqrt{\boxed{2} \cdot \boxed{a} \cdot \boxed{a}}$$

$$2a\sqrt{2a}$$

$$\textcircled{3} \text{ Simplify } \sqrt{-4}$$

When you have a negative # inside square root, you have to deal with imaginary #s.

i

$$\sqrt{-1} = i$$

$$-1 = i^2$$

$$\sqrt{-4} = \sqrt{\boxed{-1} \cdot \boxed{2} \cdot \boxed{2}}$$

$$2i$$

$$\textcircled{4} \text{ Simplify } \sqrt{-20}$$

$$\sqrt{-1 \cdot \cancel{2} \cdot \cancel{5}}$$

$$2i\sqrt{5} \text{ or } (2\sqrt{5})i$$

$$\textcircled{5} \text{ Simplify } \sqrt[3]{a^7 b^3}$$

$$\sqrt[3]{\boxed{a} \cdot \boxed{a} \cdot \boxed{a} \cdot \boxed{b} \cdot \boxed{b} \cdot \boxed{b}}$$

$$aab\sqrt[3]{a}$$

$$a^2b\sqrt[3]{a}$$

SAT
If $\gamma^a \cdot \gamma^b = \frac{\gamma^c}{\gamma^d}$ what is
 d in terms of a, b , and c ?

$$\gamma^3 \cdot \gamma^5 = \frac{\gamma^{10}}{\gamma^2}$$

$$2 = 10 - 5 - 3$$

$$d = c - b - a$$

9-3-13
4th Trig

Simplifying Radicals

$$\sqrt{20} \approx 4.47213595\dots$$

#s that go on forever and don't repeat are called irrational #s.

Prime factorization

Factor Tree

$$\begin{array}{c} 20 \\ \swarrow \quad \searrow \\ 2 \quad 10 \\ \quad \swarrow \quad \searrow \\ \quad 2 \quad 5 \end{array} \quad \begin{aligned} \sqrt{20} &= \sqrt{2 \cdot 2 \cdot 5} \\ &= 2\sqrt{5} \end{aligned}$$

① Simplify $\sqrt{1260}$

$$\sqrt{1260} = \sqrt{2 \cdot 2 \cdot 3 \cdot 3 \cdot 5 \cdot 7}$$

$$\begin{array}{c} 2 \cdot 3 \sqrt{5 \cdot 7} \\ 6 \sqrt{35} \end{array}$$

② Simplify $\sqrt{60}$

$$\begin{array}{c} 60 \\ \swarrow \quad \searrow \\ 2 \quad 30 \\ \quad \swarrow \quad \searrow \\ \quad 2 \quad 15 \end{array} \quad \begin{aligned} \sqrt{60} &= \sqrt{2 \cdot 2 \cdot 3 \cdot 5} \\ &= 2\sqrt{15} \end{aligned}$$

③ Simplify $\sqrt{a^3 b^2}$

$$\begin{aligned} &\sqrt{aaa \cdot bb} \\ &ab\sqrt{a} \end{aligned}$$

④ Simplify $\sqrt{8a^5}$

$$\begin{aligned} &\sqrt{2 \cdot 2 \cdot 2 \cdot aaaa} \\ &2aa\sqrt{2a} \\ &2a^2\sqrt{2a} \end{aligned}$$

$$\textcircled{5} \text{ Simplify } \sqrt[3]{a^4 b^6}$$

$\sqrt[3]{\cancel{aaa} \cancel{bbb} \cancel{bbb}}$

$$ab \sqrt[3]{a}$$

$$ab^2 \sqrt[3]{a}$$

$$\textcircled{6} \text{ Simplify } \sqrt[3]{8a^5}$$

$\sqrt[3]{\cancel{2} \cdot \cancel{2} \cdot \cancel{2} \cdot \cancel{aaa}}$

$$2a \sqrt[3]{a^2}$$

$$\textcircled{7} \text{ Simplify } \sqrt{-4}$$

$\sqrt{-1} = i$

$-1 = i^2 \quad 2i$

$\sqrt{-4} = \sqrt{4 \cdot -1} = \sqrt{4} \cdot \sqrt{-1} = 2i$

$$\textcircled{8} \text{ Simplify } \sqrt{-12}$$

$\sqrt{-1 \cdot 2 \cdot 2 \cdot 3} = 2i\sqrt{3} (2\sqrt{3})i$

$$\textcircled{9} \text{ Simplify } \sqrt{-4a^2b^3c^4}$$

$2abc^2i \sqrt{-1 \cdot 2 \cdot 2 \cdot \cancel{aa} \cancel{bb} \cancel{cc}}$

$$2abc^2i \sqrt{b}$$